Reducibility, Thermal and Mass Scaling in Angular Correlations from **Multifragmentation Reactions**

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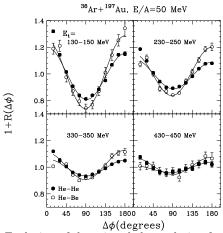


FIG. 1. Evolution of the azimuthal correlation functions of two He particles (solid circles) and He and Be particles (open circles) emitted at $\theta_{lab} = 31^{\circ}-50^{\circ}$ for four different cuts on the transverse energy E_t . The solid lines are fits described in ref. [1].

We have explored the azimuthal correlations between emitted particles to search for thermal scaling of the correlation amplitudes and reduciblity of the two-fold emission probability to that of the one-fold [1]. Fig. 1 shows azimuthal correlation functions of different particle pairs for different values of the transverse energy E_t . Consistent with previous observations, the azimuthal correlation functions exhibit a slightly distorted V-shape pattern. At larger excitation energies (assumed proportional to E_t) the correlations become progressively damped.

To understand the evolution of the correlation functions of Fig. 1, we have considered the exactly solvable problem of thermal particle emission from a rotating source. The classical probability of emitting a particle with reduced mass μ from the surface of a rotating system (of angular momentum I, moment of inertia \Im , temperature T and distance R between centers of the "daughter" and emitted nuclei) in a direction given by polar angle θ (in the center of mass frame) and azimuthal angle ϕ (measured with respect to the reaction plane) is:

$$P(\theta, \phi) \propto \exp\left[-\beta \sin^2 \theta \sin^2 \phi\right]$$
 (1)

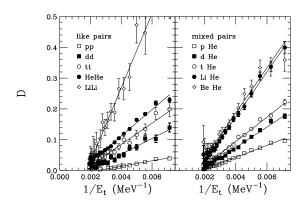


FIG. 2. Left panel: The fit parameter D as a function of $1/E_t(\propto 1/T^2)$ for the indicated identical particle pairs. Solid lines are linear fits to the data. Right panel: Same as left panel but for particle pairs of different masses.

$$\beta = \frac{\hbar^2 I^2}{2\Im T} \frac{\mu R^2}{(\Im + \mu R^2)} = \frac{E_{rot}}{T} \frac{\mu R^2}{(\Im + \mu R^2)}$$
(2)

and E_{rot} is the rotational energy of the source.

If the fragments are emitted independently of one another, the joint probability of observing two particles at a given polar angle θ and different azimuthal angles ϕ and $\phi + \Delta \phi$ is $P(\theta, \phi, \Delta \phi) = P(\theta, \phi) P(\theta, \phi + \Delta \phi)$. The resulting probability distribution must be averaged over the different directions of \vec{I} arising from different orientations of the impact vector and one obtains proportionality to a modified Bessel function of zeroth order. Expanding this function, the joint probability is approximately:

$$P(\theta, \Delta\phi) \propto 1 + \frac{D}{1 + D/2} \cos 2\Delta\phi + \frac{D^2}{(D+2)^2} \cos^2 2\Delta\phi$$
(3)

where $D = (\beta^2 \sin^4 \theta)/8 \propto 1/T^2 \propto 1/E_t$.

A plot of D (extracted from fits to the correlation data, see Fig. 1) as a function of $1/E_t$ is given in Fig. 2. The simplest explanation for the observed linear behavior (thermal scaling) is that the fragmenting system attains an average rotational energy which is largely independent of E_t .

[1] L. Phair et al., Phys. Rev. Lett. 77, 822 (1996).

where